

1. When a driver brakes an automobile, friction between the brake disks and the brake pads converts part of the car's translational kinetic energy to internal energy (heat). If a 500kg automobile traveling at 40m/s comes to a halt after its brakes are applied, how much can the temperature rise in each of the four 2.0kg brake disks? Assume that the disks are made of metal with $C = 500 \text{ J/kg } ^\circ\text{C}$ and that all of the kinetic energy is distributed in equal parts to the internal energy of the brakes
2. A hot water heater is operated by solar power. If the solar collector has an area of 10 square meters and the power delivered by sunlight is 420W/square meter, how long will it take to increase the temperature of 1.0 cubic meter of water from 20 degrees C to 50 degrees C? ($W = \text{J/s}$)
(C_p of water $\sim 4200 \text{ J/kg } ^\circ\text{C}$)
(1 cubic cm of water = 1 gram)

Answers to part B

1. Assume all of the kinetic energy is converted to energy as heat to the brake disks. $\frac{1}{2}m_a v^2 = C m_b \Delta T$. Solve for ΔT . $\Delta T = (m_a v^2)/(2 C m_b) = (600 \cdot 900)/(2 \cdot 500 \cdot 12) = 45$ degrees C.
2. The amount of energy needed to heat the water is $m \cdot C \cdot \Delta T$. Converting the volume to cm^3 , $1\text{m}^3 = (10^2 \text{ cm})^3 = 10^6 \text{ cm}^3$. Each cm^3 has a mass of 1g, so the mass is 10^6g . $10^3 \text{ g} = 1\text{kg}$, so $10^6 \text{ g} = 10^3\text{kg}$. So the energy needed = $10^3 \text{ kg} \cdot 4.2 \times 10^3 \text{ J/kg} \cdot 40$. The collectors collect $420 \text{ J}/(\text{s} \cdot \text{m}^2) \cdot 12 \text{ m}^2$. If I divide the total energy needed by the energy per second available, I find the number of seconds needed to heat this much water to be $3.3 \times 10^4 \text{ s}$. There are 3600s/hour, for a total of 9.3 hours.

1. When a driver brakes an automobile, friction between the brake disks and the brake pads converts part of the car's translational kinetic energy to internal energy (heat). If a 600kg automobile traveling at 30m/s comes to a halt after its brakes are applied, how much can the temperature rise in each of the four 3kg brake disks? Assume that the disks are made of metal with $C = 500 \text{ J/kg } ^\circ\text{C}$ and that all of the kinetic energy is distributed in equal parts to the internal energy of the brakes

2. A hot water heater is operated by solar power. If the solar collector has an area of 12 square meters and the power delivered by sunlight is 420W/square meter, how long will it take to increase the temperature of 1.0 cubic meter of water from 23 degrees C to 63 degrees C? ($W = \text{J/s}$)
(C_p of water $\sim 4200 \text{ J/kg } ^\circ\text{C}$)
(1 cubic cm of water = 1 gram)

Answers to part A

1. Assume all of the kinetic energy is converted to energy as heat to the brake disks. $\frac{1}{2}m_a v^2 = C m_b \Delta T$. Solve for ΔT . $\Delta T = (m_a v^2)/(2 C m_b) = (500 \cdot 1600)/(2 \cdot 500 \cdot 8) = 100$ degrees C.
2. The amount of energy needed to heat the water is $m \cdot C \cdot \Delta T$. Converting the volume to cm^3 , $1\text{m}^3 = (10^2 \text{ cm})^3 = 10^6 \text{ cm}^3$. Each cm^3 has a mass of 1g, so the mass is 10^6g . $10^3 \text{ g} = 1\text{kg}$, so $10^6 \text{ g} = 10^3\text{kg}$. So the energy needed = $10^3 \text{ kg} \cdot 4.2 \times 10^3 \text{ J/kg} \cdot 30$. The collectors collect $420 \text{ J}/(\text{s} \cdot \text{m}^2) \cdot 10 \text{ m}^2$. If I divide the total energy needed by the energy per second available, I find the number of seconds needed to heat this much water to be $3.0 \times 10^4 \text{ s}$. There are 3600s/hour, for a total of 8.3 hours.